

# <span id="page-0-0"></span>Large-scale and small-scale turbulence: particles and fields

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## Collisionless plasma conditions Non-thermal particle distributions



Non-thermal features in particle distributions form and survive:

- **•** Temperature anisotropies
- **•** Multi-temperature
- Beams/drifts
- $\bullet$  ...

 $\Rightarrow$  A (low-moment) fluid description becomes highly problematic!

Alternative: kinetic description!

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# Solar-wind turbulence is mostly Alfvénic



(Verscharen et al., 2019)

- Wind measurements
- Solar-wind turbulence has mainly Alfvén-wave-like polarisation
- Non-compressive component with (anti-)parallel  $\delta v$  and  $\delta \boldsymbol{B}$

# Compressive turbulence in the solar wind



- **o** Cluster measurements at 1 au
- Anti-correlation between  $\delta n_e$ and  $\delta |B|$
- Slow-mode-like polarisation (and pressure balance?)

<sup>(</sup>Verscharen et al., 2019)

In kinetic theory, a plasma wave is associated with fluctuations in the distribution function:

$$
f_{\rm p} = f_{0{\rm p}} + \delta f_{\rm p}.
$$

The time-dependent perturbation  $\delta f_{\rm p}$  leads to fluctuations in the plasma bulk parameters. For example:

$$
\delta n_{\rm p} = n_{0\rm p} \int \delta f_{\rm p} d^3 v,
$$
 density  
\n
$$
\delta U_{\parallel \rm p} = \int \delta f_{\rm p} v_{\parallel} d^3 v,
$$
 bulk speed  
\n
$$
\delta p_{\perp \rm p} = \frac{n_{0\rm p} m_{\rm p}}{2} \int \delta f_{\rm p} v_{\perp}^2 d^3 v,
$$
 perpendicular thermal pressure  
\n
$$
\delta p_{\parallel \rm p} = n_{0\rm p} m_{\rm p} \int \delta f_{\rm p} v_{\parallel}^2 d^3 v.
$$
 parallel thermal pressure

## Fluctuations in the distribution function Slow Mode with  $\theta = 88^\circ$ ,  $\beta_{\rm p} = \beta_{\rm e} = 1$ ,  $k_{\parallel} v_{\rm A} / \Omega_{\rm p} = 0.001$ ,  $\delta B_z / B_0 = 0.1$



- These signatures are different for each plasma mode.
- On the following slides: Predict behaviour of the three lowest velocity moments in large-scale fluctuations (using analytical gyrokinetic theory).
- **•** Compare with observations.





$$
\frac{\delta n_{\rm p}}{n_{\rm 0p}} = \xi_{\rm p} \frac{\delta B_{\parallel}}{B_0}
$$



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$$
\frac{\delta U_{\parallel \mathrm p}}{v_{\mathrm A}} = \chi_{\mathrm p} \frac{\delta B_{\parallel}}{B_0}
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\frac{\delta p}{p_{B0}} = \psi \frac{\delta B_{\parallel}}{B_0}
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#### MMS magnetosheath measurements



 $\frac{\delta n_{\rm p}}{n_{\rm p}} = \xi_{\rm p} \frac{\delta B_{\perp}}{B_{\perp}}$  $n_{0p}$  $B_0$ 

#### MMS magnetosheath measurements



$$
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\frac{\delta p_{\rm p}}{p_{B0}} = \psi_{\rm p} \frac{\delta B_{\perp}}{B_0}
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## Exploring the smallest scales ESA F-class proposal Debye



- Debye is a UCL-led proposal for ESA's F-class programme.
- Main spacecraft will measure electric/magnetic fields, electron distributions, proton properties.
- 3 deployable spacecraft will measure high-frequency magnetic-field fluctuations.
- Science goal: How are electrons heated in astrophysical plasmas?
- Scale coverage: 300 m to 3,000 km.
- Full proposal now under review.

Exploring the smallest scales ESA F-class proposal Debye

## The first dedicated electron-astrophysics mission!



- SWA/EAS heritage: electron pitch-angle distributions with 50 ms cadence.
- Multi-point and multi-baseline SCM measurements.
- JAXA/NASA collaboration on DSC.



Follow us on Twitter: @DebyeMission

Daniel Verscharen **Turbulence:** particles and fields

# Conclusions

- Plasma waves and turbulence are associated with characteristic fluctuations in distribution functions and velocity moments.
- Polarisation of compressive fluctuations (large and small scales) is in better agreement with fluid than with kinetic predictions.
- Some yet unknown process (e.g., fluctuating-moment effects or anti-phase-mixing) makes the plasma behave more fluid-like.
- Solar Orbiter and Debye will explore field and particle fluctuations at small scales in great detail.







## **Literature**

- A. A. Schekochihin, J. T. Parker, E. G. Highcock, P. J. Dellar, W. Dorland, and G. W. Hammett. J. Plasma Phys., 82:905820212 (47 pages), 4 2016. ISSN 1469-7807.
- D. Verscharen, B. D. G. Chandran, K. G. Klein, and E. Quataert. ArXiv e-prints, May 2016.
- D. Verscharen, C. H. K. Chen, and R. T. Wicks. On Kinetic Slow Modes, Fluid Slow Modes, and Pressure-balanced Structures in the Solar Wind. Astrophys. J., 840:106, May 2017. doi: 10.3847/1538-4357/aa6a56.
- Daniel Verscharen, Kristopher G. Klein, and Bennett A. Maruca. The multi-scale nature of the solar wind. LRSP, art. submitted, Feb 2019.
- Honghong Wu, Daniel Verscharen, Robert T. Wicks, Christopher H. K. Chen, Jiansen He, and Georgios Nicolaou. The Fluid-like and Kinetic Behavior of Kinetic Alfvén Turbulence in Space Plasma. Astrophys. J., 870:106, Jan 2019. doi: 10.3847/1538-4357/aaef77.

Recipe for MHD: Add proton and electron moment equations, assume quasi-neutrality, define bulk parameters! For example, momentum equation:

$$
\frac{\partial}{\partial t}(\rho U) + \nabla \cdot (\rho U U) = -\nabla \cdot \boldsymbol{P} + \frac{1}{c} \boldsymbol{j} \times \boldsymbol{B}
$$

This equation is exact as long as quasi-neutrality and  $\mathcal{C}f_i = 0$  are fulfilled!

The only problem is the combined pressure tensor  $P = P_{\rm p} + P_{\rm e}$ .

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The only problem is the combined pressure tensor  $P = P_{\rm p} + P_{\rm e}$ .

**Easiest closure:**  $P$  is isotropic and adiabatic, so that we can write  $\nabla \cdot \boldsymbol{P} = \nabla p$  with  $p \propto \rho^{\gamma}$ 

(similar assumptions apply to Ohm's law etc.)

## Which collisionless processes lead to an adiabatic closure for the pressure tensor?

- **•** Equivalently: Which processes suppress higher moments (especially heat flux) in the distribution function?
- **Important:** The main differences between large-scale kinetic theory and MHD are due to the moment-closure problem!

## A possible explanation: fluctuating-moment effects IA wave with  $\delta |B|/B_0 = 0.028$



# <span id="page-25-0"></span>Another possibility: anti-phase-mixing



(Credit: B. Chandran)

- Schekochihin et al. (2016) discuss "anti-phase-mixing".
- **o** Turbulence cascades to larger  $k_{\perp}$ .
- Phase mixing leads to cascade of VDF to larger Hermite-moment orders m.
- **o** Stochastic echo creates flux of energy from larger  $m$  to smaller m.
- Comparison of timescales shows that distribution stays at low  $m$ .